



Engineering

Engineering Notation

April 28, 2020



Engineering

Lesson: **4/28/2020**

Objective/Learning Target:

Students will be able to convert from scientific, to engineering notation and apply SI prefixes

Review of Scientific Notation

- Very large or very small numbers are often expressed in a compact form called scientific notation.

An example might be 4.23×10^6

The long version of the number
would be 4,230,000

How to write in Scientific Notation

- Example 4,230,000
- Shift the decimal point so there is one digit (not a zero) before the decimal point.
- In this case 4.23
- Now multiply that number $\times 10$ and add an exponent equal to the number of moves
- In this case 6. Therefore 4.23×10^6

Positive or negative exponent??

- The exponent will be positive if the decimal point is moved to the LEFT
- The exponent will be negative if the decimal point is moved to the RIGHT
- Written in scientific notation .00000423 would be 4.23×10^{-6}

Scientific vs. Engineering Notation

- What is the difference between scientific and engineering notations?
- The short answer is NOT MUCH
- The only difference between scientific and engineering notation is the exponent on the 10 is always a multiple of 3 with engineering notation

Engineering Notation

- When converting to engineering notation the key is moving the decimal in jumps of 3.
- For example 17,250,000
- Moving in jumps of 3 limits how far we can move the decimal to the left = 17.25×10^6
- But why is engineering notation different???

Engineering vs. SI prefix Notation

- When converting to engineering notation the key is moving the decimal in jumps of 3.
- For example $17,250,000 = 17.25 \times 10^6$
- The reason for the jumps of 3 is that Engineering notation is a direct conversion to SI prefix notation.

SI prefix Notation

- SI prefix notation allows us to shorten the length of numbers even more than scientific and engineering notation.
- Why do we need to keep shortening the digits of our numbers?
- Electronic components are often very small. SI prefix notation shrinks numbers so they fit.

SI prefix Notation

Table 5. SI prefixes

Factor	Name	Symbol	Factor	Name	Symbol
10^{24}	yotta	Y	10^{-1}	deci	d
10^{21}	zetta	Z	10^{-2}	centi	c
10^{18}	exa	E	10^{-3}	milli	m
10^{15}	peta	P	10^{-6}	micro	μ
10^{12}	tera	T	10^{-9}	nano	n
10^9	giga	G	10^{-12}	pico	p
10^6	mega	M	10^{-15}	femto	f
10^3	kilo	k	10^{-18}	atto	a
10^2	hecto	h	10^{-21}	zepto	z
10^1	deka	da	10^{-24}	yocto	y

SI prefix notation allows us to substitute a prefix in place of the $\times 10$ and exponent in scientific and engineering notation.

An example would be 3,600,000 Hz

Scientific and engineering notation = 3.6×10^6 Hz

SI prefix = 3.6 MHz (Mega-Hertz)

As you can see in this example, this SI prefix Mega (M) corresponds to 10^6

So we combine that to the significant digits and original units to get our equivalent number.

<https://www.albert.io/blog/ultimate-guide-to-si-units-and-unit-conversions/>

Try some on your own

(Answers on slide 13)

1. Convert these numbers to **engineering notation**.
 - a. 7,100,000
 - b. 25,000
 - c. 870,000
 - d. 1,250,000

Try some on your own

(Answers on last slide)

1. Convert these numbers to **SI prefix notation**.
 - a. 7,100,000 V
 - b. 25,000 Ω
 - c. 870,000 Hz
 - d. 1,250,000 A

Try some on your own

(Answers)

1. Convert these numbers to **engineering notation**.

a. $7,100,000 = 7.1 \times 10^6$

b. $25,000 = 25 \times 10^3$

c. $870,000 = 870 \times 10^3$

d. $1,250,000 = 1.25 \times 10^6$

Try some on your own

(Answers)

1. Convert these numbers to **SI prefix notation**.

a. $7,100,000 \text{ V} = 7.1 \text{ MV}$

b. $25,000 \text{ } \Omega = 25 \text{ k}\Omega$

c. $870,000 \text{ Hz} = 870 \text{ kHz}$

d. $1,250,000 \text{ A} = 1.25 \text{ MA}$

Helpful Links

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[Guide to engineering notation](#)

[Guide to SI Prefixes](#)